

Precision of a Mean

Objective: Determine Sample Size Necessary for Estimating a Mean

An investigator is interested in determining the sample size necessary to estimate mean blood pressure with a sufficient level of precision. The investigator is testing a new drug for hypertension and is measuring systolic blood pressure. From previous research, the new drug typically gives a mean systolic blood pressure reading of 130 mm Hg and has a standard deviation of 30 mm Hg. The investigator wants to know how many patients records to review to have a 95% confidence interval that ranges from 125 mm Hg to 135 mm Hg. That is, a 10-point total width of confidence interval ($135 - 125 = 10$).

Required Information	Inputs
What is the desired level for the confidence interval?	95%
What is the target width of the confidence interval?	10
What is the standard deviation of the outcome?	30

CL =	<input type="text" value="95"/>	%	Confidence level (e.g. 95%)
W =	<input type="text" value="10"/>		Desired total width of confidence interval
S =	<input type="text" value="30"/>		Standard deviation of the variable

Calculate

$$W/S = 0.33$$

Standard normal deviate for $\alpha = Z_{\alpha} = 1.96$

$$\text{Sample size} = N = 4Z_{\alpha}^2 S^2 / W^2 = 138$$

We would need a sample size of $n = 138$ to have a 95% confidence interval that ranges from 125 mm Hg to 135 mm Hg.

Example using the UCSF Sample Size Calculators for Designing Clinical Research (<https://sample-size.net/sample-size-conf-interval-mean/>)

If our mean is 130 and we want a 95% confidence interval that ranges from 125 to 135 then the total width of the confidence interval will be:
 $135 - 125 = 10$